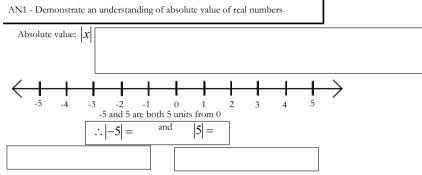
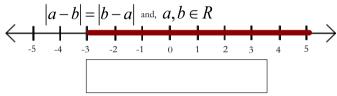
OUTCOME:



The distance between two points on a number line, a and b can be found by taking the absolute value of the difference between a and b, where



** Absolute value signs are considered as brackets for order of operations. **

1. Evaluate: a.
$$|-7|$$
 b. $|9|$ c. $|-2-8|$ d. $|5--6|$

2. Draw the above absolute values on a number

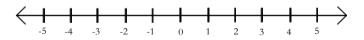
$$\underbrace{\begin{array}{c} \begin{array}{c} \\ -10 \end{array} -9 \end{array} -8 \end{array} -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10 \end{array}}_{-10 -9 -8 -7 -6 -5 -4 -3 -2 -1 0 1 2 3 4 5 6 7 8 9 10}$$

3. What does |-7| represent?

4. What is the magnitude of -10?

5. Place the following numbers on a number

line A (0.7) B (-1.4) C
$$\left(-\frac{3}{5}\right)$$
 D $\left(-2\frac{1}{4}\right)$ E (2)

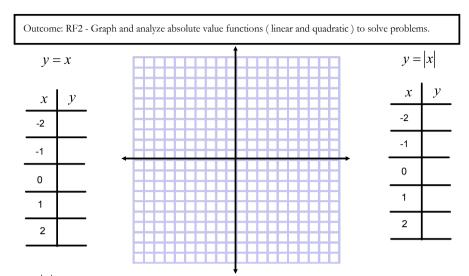


i) determine the absolute value of each number

ii) determine the distance between B and E, and between C and D

6. Determine the value of:
$$7|0.4-5|+|(-2)^3|^{-3}$$

Practice: Page 363 #1,3,4,5, 6ACE



y = |x| is defined as a piecewise function (composed of two or more separate functions)



For all values of f(x) less than 0, the y-values of |f(x)| is -f(x); and for all values of f(x) greater than 0 or equal to 0, the y-value of |f(x)| is f(x)

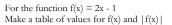
The following table of values is given for y = f(x)Fill in the corresponding values for y = |f(x)|

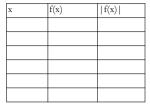
Function notation reminder:

x	f(x)	f(x)
-3	32	
-2	12	
-1	-2	
0	-10	
1	-12	
2	8	
3	2	

f(x) = 2x - 3

$$f(5) = 2(5)-3$$





Write the piecewise function for f(x). You need to find the x-intercept... When graphing, graph the line of y = f(x)

The x-inte	rcept o	f this	line i	is the same as the	x-intercept o	f the absolute value	function because the val	ue of
zero								
	ACT							

is still zero. This is called an invariant point.

(A Rointe that new ains unch append 8 hen a transformation is applied to it.

01 2		
x-intercept:		
a intercepti		
y-intercept:	•	
domain:	range:	
	0	
piecewise function:		
piece nice railedoit.		

Write y = |-3x + 7| as a piecewise function

You try: y = |2x - 4|

Determine the x-intercept and y-intercepts:

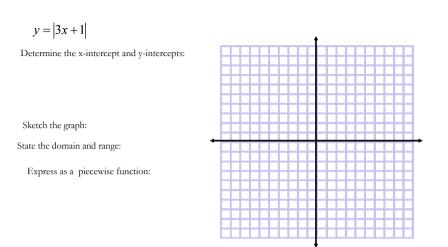
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+		-	+	-	-	H	-	+	-	-	-	-	+
-			-	н		н	+	-	н	н	н		+
-			+	H		н		+-	н	н	-		÷
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Sketch the graph: State the domain and range:

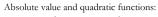
Express as a piecewise function:

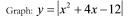
Write the following as piecewise functions.

a)
$$y = |2x+4|$$
 b) $y = |4x-3|$ c) $y = |-2x+5|$



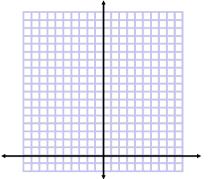
Practice: p375 # 1, 2, 5, 6ace, 9,11ab





Find x-int's (y=0)...factor

Find y-int (x=0)



Find vertex (complete the square...or...average x-int's)

Absolute value and quadratic functions:

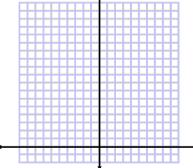
 $y = |x^2 + 8x + 15|$



Find x-int's (y=0)...factor

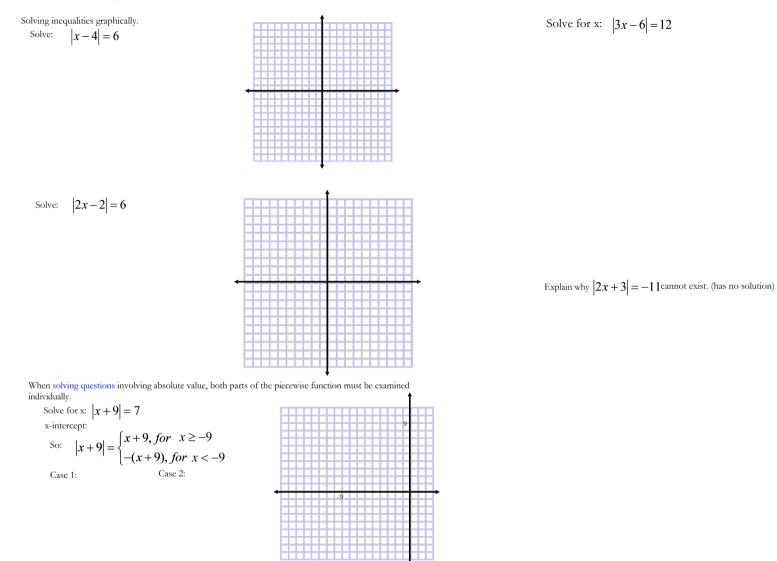
Find y-int (x=0)

Graph:



Page 376-7 #7, 8abe, 10

Find vertex (complete the square...or ... average x-int's



Practice: page 389 #2bc, 4abc

Absolute Value equations with extraneous solutions.

Solve : |2x-5| = 5-3x

Solve:

|x+5| = 4x-1

You MUST VERIFY ANY EQUATIONS OF THIS TYPE!!!!

page 389 #5